

Urban gridlock: Macroscopic modeling and mitigation approaches

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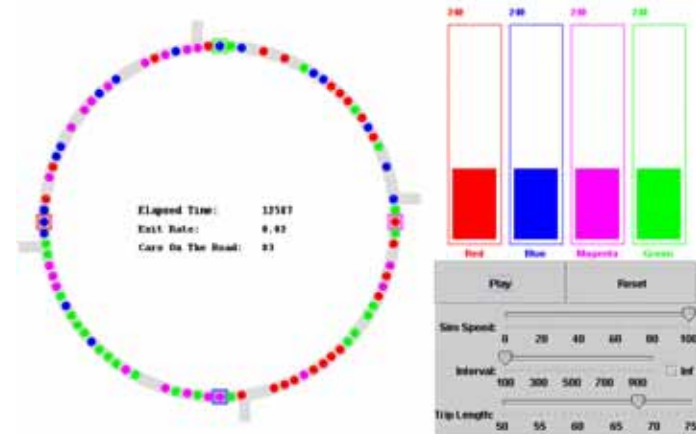
Transportation Research Part B (in press)

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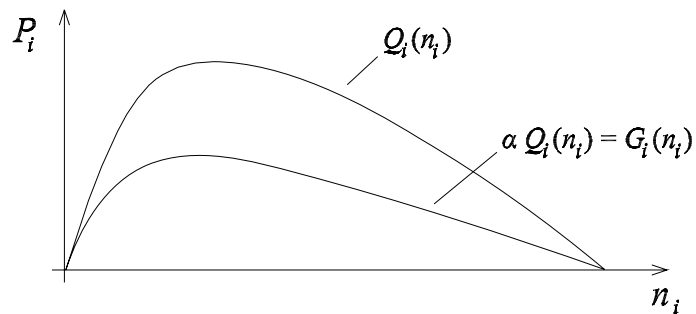
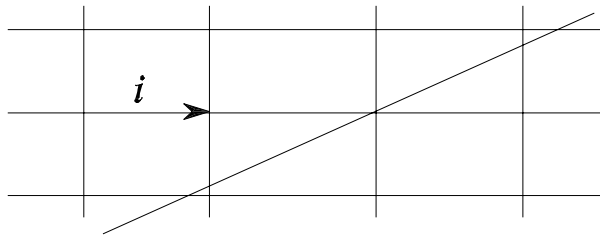


KEY ISSUES

- MOBILITY IMPROVEMENT APPROACH
PROPOSE→EVALUATE→IMPLEMENT
- FRAGILE EVALUATION MODELS
 - Inputs unreliable
 - Outputs unpredictable
- WHAT TO DO?
- ROBUST APPROACH
PROPOSE→MONITOR→MODIFY
- BUT IS IT POSSIBLE?



DEFINITIONS

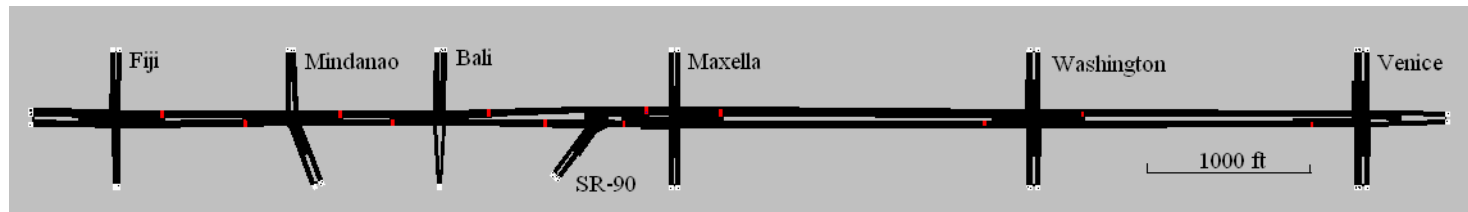


Accumulation : n_i (vehs)

Travel Production : $P_i = n_i \cdot u_i$ (veh-km/hr)

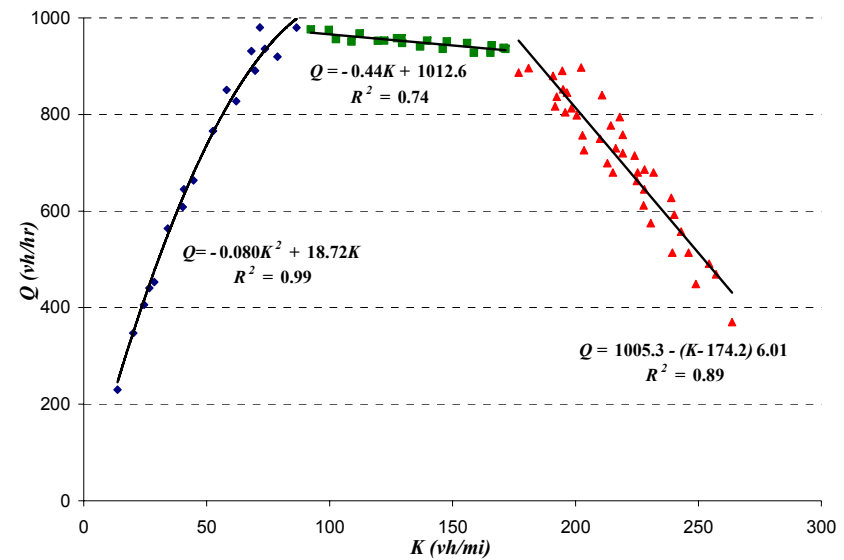
Output : $E_i = n_i \cdot u_i \cdot \alpha_i$ (vh/hr)

AGGREGATION HYPOTHESIS

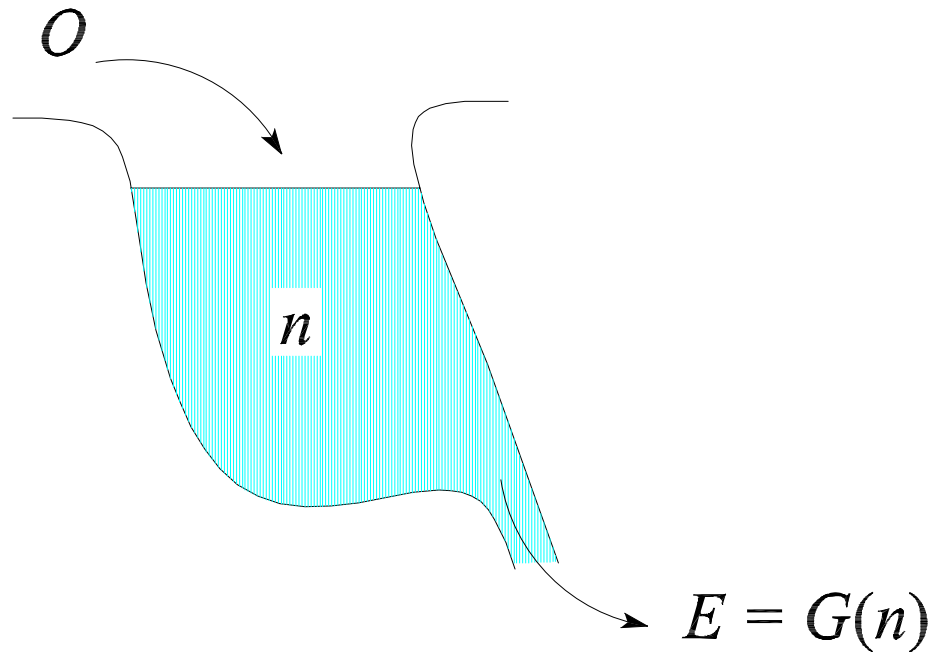


$$P \equiv \sum P_i \equiv \sum Q_i(n_i) \cong Q(\sum n_i)$$

$$E \equiv \sum E_i \equiv \sum G_i(m_i) \cong G(\sum n_i)$$



AGGREGATE DYNAMICS



Given : Q, G

Control : $O(t)$

Monitor : $n(t)$

Maximize : $\int E(t)dt$

$$\frac{dn(t)}{dt} = O(t) - G(n(t))$$

POLICY : $n^*(t) \approx n_{crit}$

PROPERTIES OF POLICY

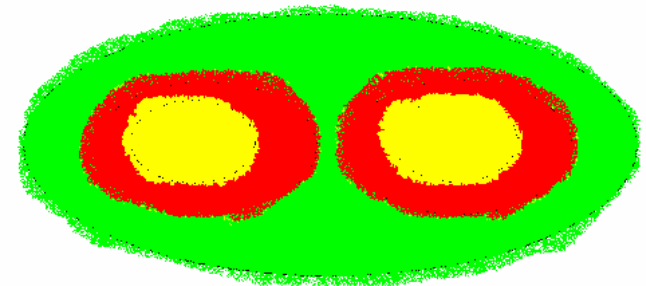
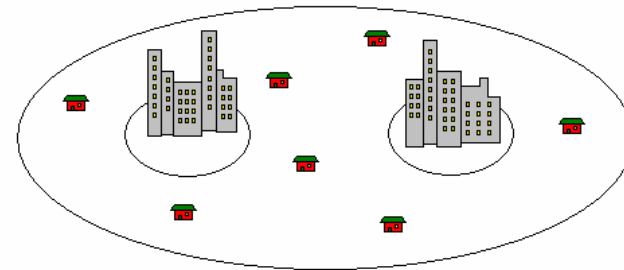
- Observable (monitor)
- Robust (no forecasts)
- Pareto Efficient



ADDITIONAL INSIGHTS AND CONCLUSIONS

- INVARIANCE PRINCIPLE 2:
TRAFFIC vs. DESTINATION DENSITY

- Multi-Reservoir Systems
- Multimodal principles
- Tests and deployment



QUESTIONS



<http://www.its.berkeley.edu/volvocenter/>